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# **Fault-Adaptive Control for Robust Performance Management of Computing Systems**

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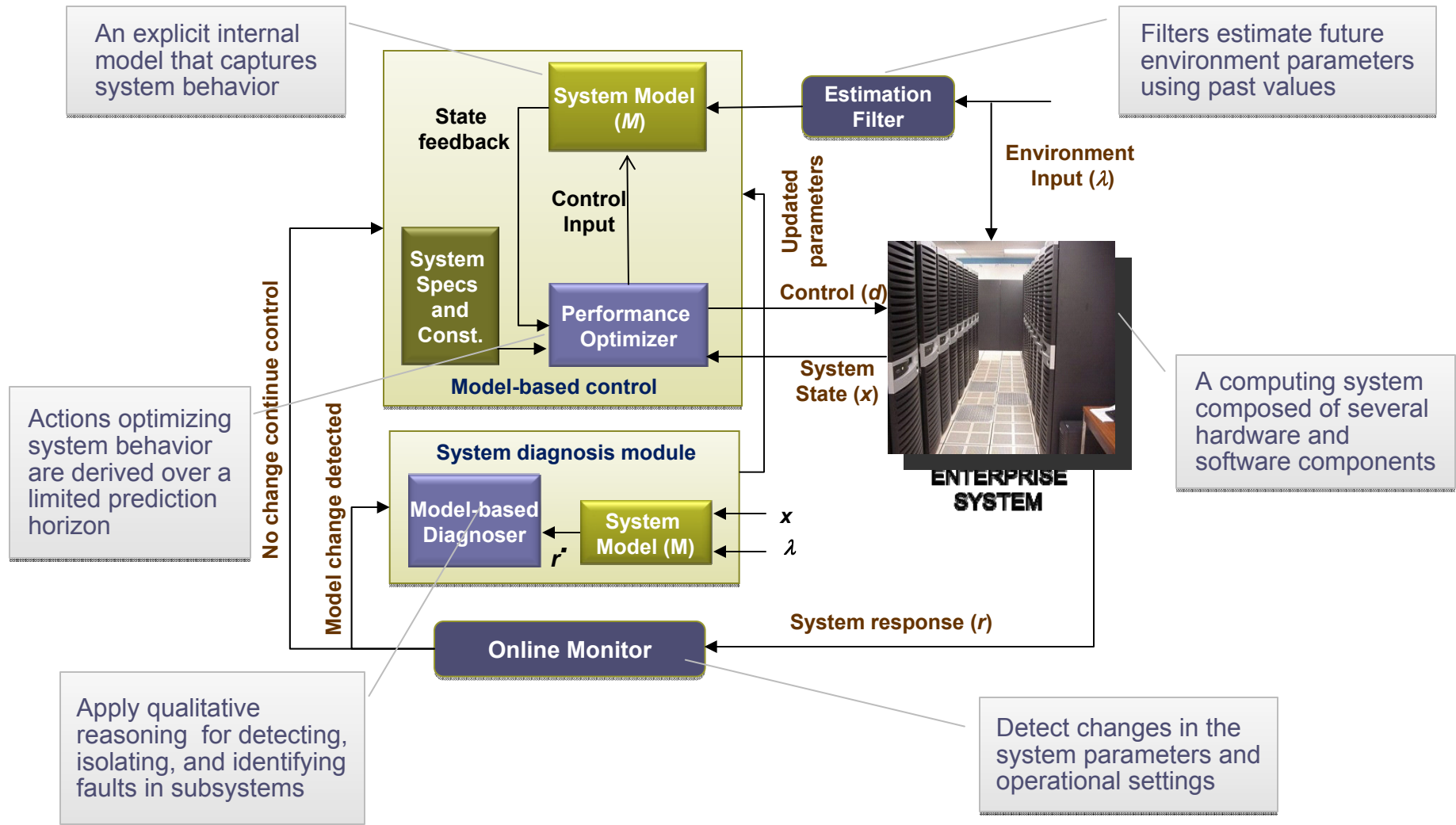
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# The Fault-Adaptive Control Structure



# System Modeling

- Many practical systems exhibit a hybrid behavior comprising both discrete-event and continuous dynamics.
- In addition, control or tuning options must be chosen from a finite set at any given time.
- The dynamics of such systems can be captured formally as class of hybrid systems with finite control set; switching hybrid systems.

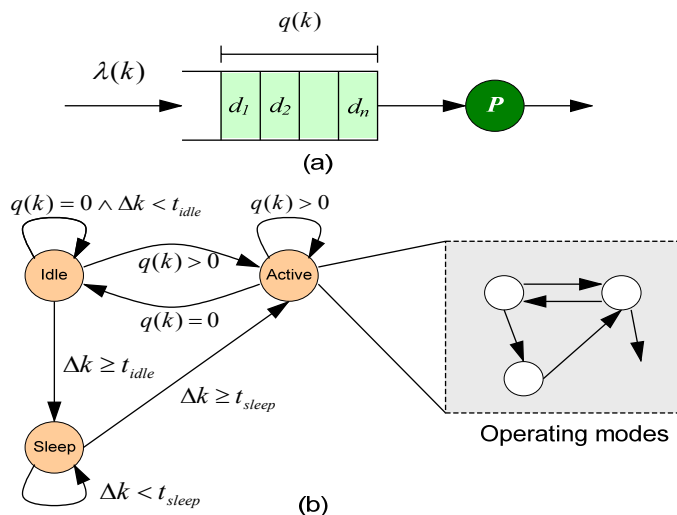
The dynamics of a switching hybrid system is represented by:

$$x(k+1) = f(x(k), u(k), \omega(k))$$

Where  $x(k)$  is the state at time  $k$ ,  $u(k)$  is the control input chosen from a finite set  $U$ , and  $\omega(k)$  is the environment input.

Environment inputs are typically estimated at time  $k$  based on previous values.

Operation requirement (specification) is represented as a set point or utility function.

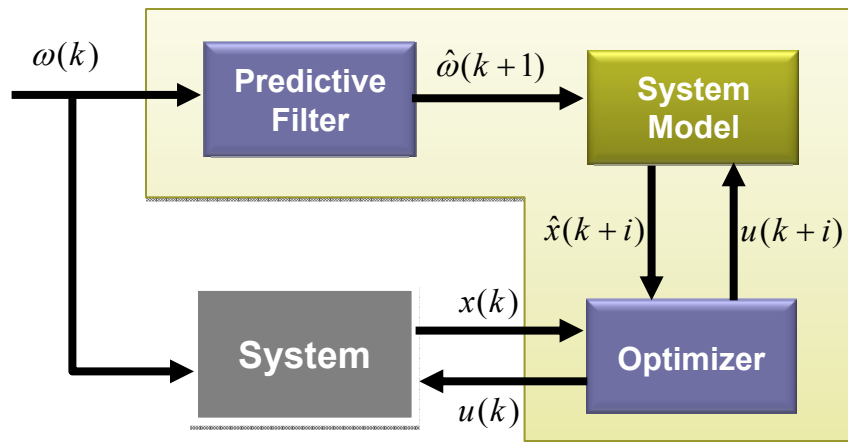


$$\hat{q}(k+1) = q(k) + \left( \hat{\lambda}(k) - \frac{\phi(k)}{\hat{c}(k)} \right) T(k)$$

$$\hat{r}(k+1) = (1 + q(k)) \cdot \frac{\hat{c}(k)}{\phi(k)}$$

$$\psi(k+1) = \phi^2(k)$$

# Limited Lookahead Control



- Selection of the next step is based on a map that defines how close the current state is to  $X_s$
- Controller constructs a tree of all future states up to certain depth.
- A path that minimizes the distance to  $X_s$  is traced back to current state and the initial step is selected.

$$\text{Minimize } \sum_{i=k+1}^{k+N} J(x(i), u(i))$$

$$\text{Subject to. } \hat{x}(i+1) = f(x(i), u(i), \hat{\omega}(i)),$$

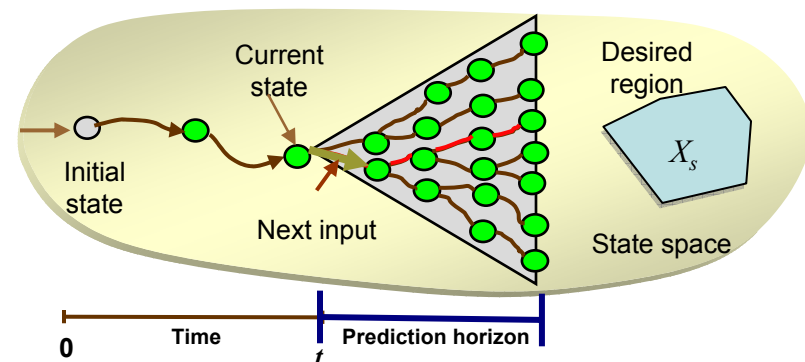
$$. H(x(i)) \leq 0, u(i) \in U(x(i))$$

Given a switching hybrid system with state space  $X$  and control input  $U$ . The control problem for a set point  $X_s$  is to:

- Drive the system from any state in  $X$  to  $X_s$  in finite time using inputs from  $U$ .

- Maintain the system in  $X_s$

In the case of utility specification, the controller aims to reach the optimal state that maximizes the system utility.



# Model-based Diagnosis

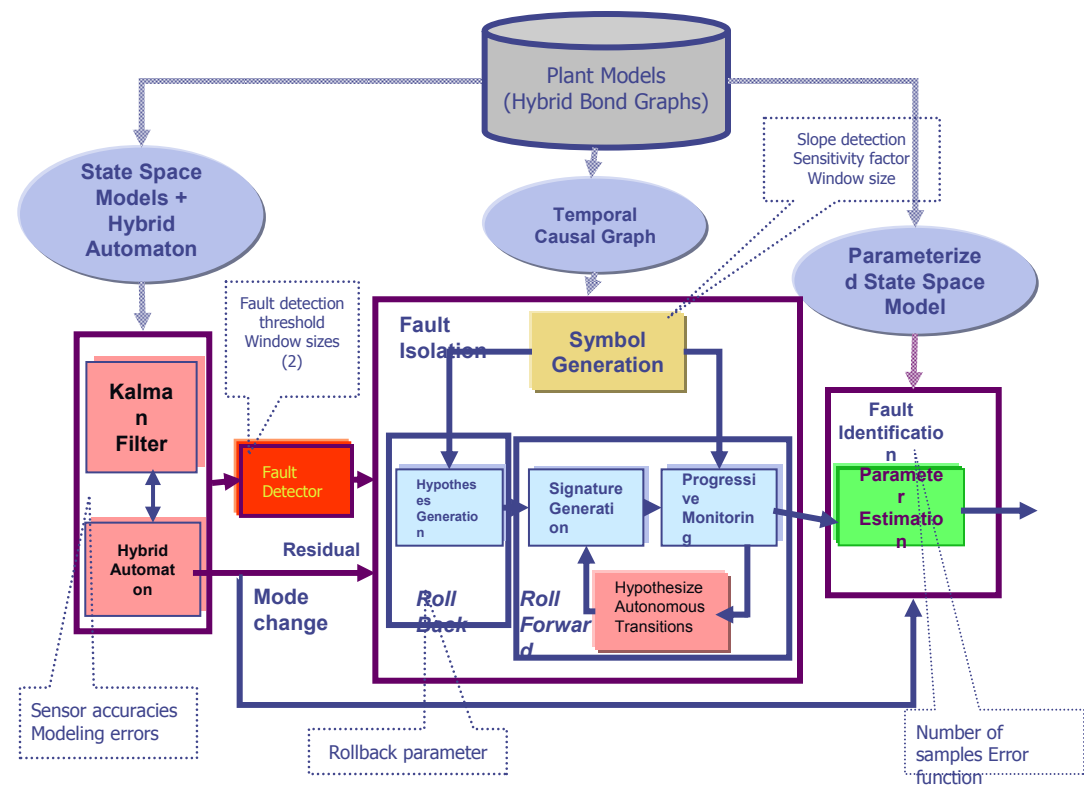
## Qualitative reasoning

- Robust reasoning mechanisms are combined with quantitative parameter estimation schemes for fault isolation
- The switching hybrid model is used to generate parameterized Timed Causal Graphs (TCG)

## Quantitative analysis

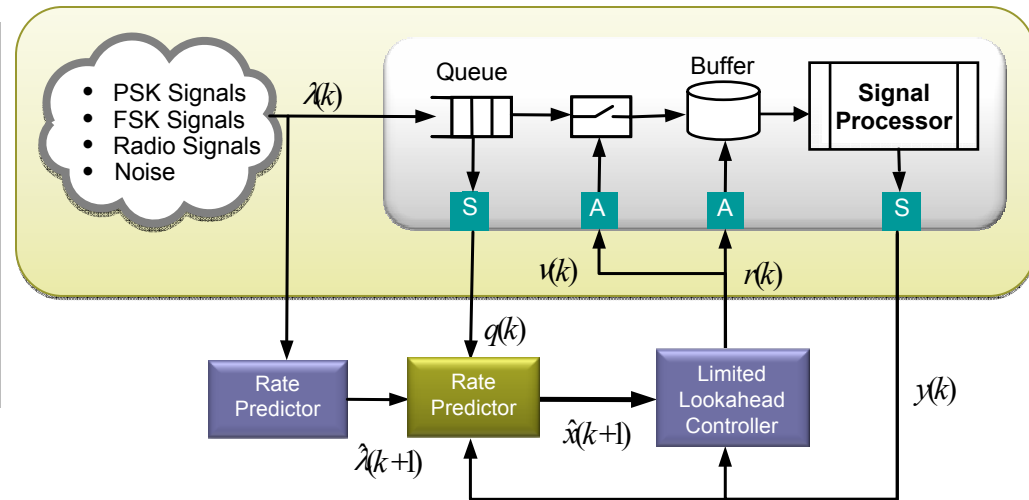
- Deviated parameter values are estimated for each fault candidate
- The state space equations are rewritten in terms of the parameter associated with the fault candidate, and least squares estimation techniques are used to derive the faulty parameter value
- A new parameter estimator is initiated for each fault hypothesis

- Uses the observed divergence between the actual system and the corresponding models to isolate and characterize possible failures as well as the set of possibly corrupted resources



# Application: Signal Detection System

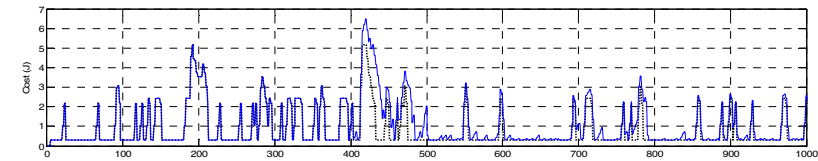
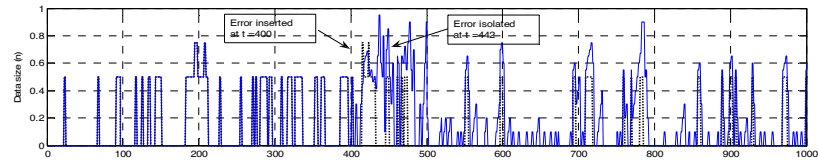
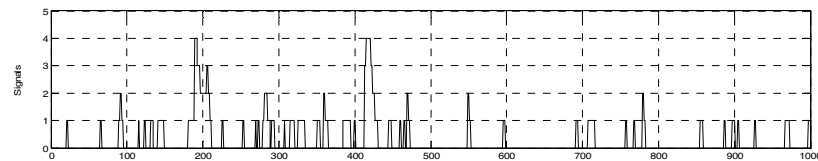
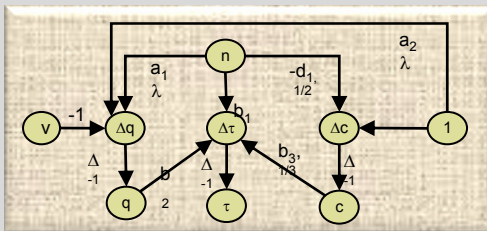
- **Objective:** identify relevant data from incoming signals, received at a time-varying rate
- Detection accuracy and computation time depend on the signal size
- The controller must minimize the latency while maximizing accuracy



$$\hat{q}(k+1) = q(k) + \hat{\lambda}(k)[a_1 n(k) + a_2] - v(k)$$

$$\hat{\tau}(k+1) = \tau(k) + b_1 n(k) + b_2 q(k) + b_3 c(k)^{1/3}$$

$$\hat{c}(k+1) = c(k) - d_1 \sqrt{n(k)} + d_2 v(k) + d_3$$



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**Thank You**

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